

# **Modeling Studies in Magnetostrictive Nanoellipses for New Magnetic Memory Applications**

### Abstract

Magnetostrictive materials have the unique property of changing their magnetic moment when a mechanical strain is applied to them. Placing a magnetostrictive nickel nanoellipse on a piezoelectric substrate, and applying a strain to the substrate, will in turn cause the magnetic moment of the nanoellipse to rotate. Varying the geometric properties of the nanoellipse will have a significant influence on how much the magnetic moment of the nanoellipse shifts. The diameter, thickness, and eccentricity of the nanoellipse were all varied in this study in order to determine which set of parameters yielded a rotation greater than 85°. Using COMSOL Multiphysics, it was determined that thinner nanoellipses, as well as those with a lower eccentricity, produced the desired rotation when compared to studies of thicker and more eccentric geometries. By achieving a 90° rotation, this optimized nanoellipse can eventually be used as a low energy memory element or a magnetic motor.

- Vary geometric parameters of the nanoellipse to find which combinations will yield a 90° rotation in single domain magnetic elements
- Examine the relationship between the geometric parameters and the rotation of the magnetic moment



### **Motivation**

 Using a multiferroic memory system allows memory elements to be packed more densely, which necessitates a 90° magnetic rotation





 A geometry that rotates effectively could be applicable to future magnetic rotation studies, including nanomotors

## Background

### Landau-Lifshitz-Gilbert Equation

$$\frac{\partial \underline{M}}{\partial t} = \gamma_G \left( \underline{M} \times \underline{H}_{eff} \right) - \frac{\alpha_G}{M_s} \left( \underline{M} \times \frac{\partial \underline{M}}{\partial t} \right)$$

**Elastodynamic Equation** 

 $\nabla \cdot \underline{\sigma} + f = \rho \underline{\ddot{u}}$ 



- These equations accurately define the model in both mechanical space and magnetic space
- After being expanded these equations are put into COMSOL and iteratively solved using the finite element method

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